

one6G work item on next  
generation MIMO:

**Multuser strategies for  
user-centric cell free MIMO**

Martin Schubert

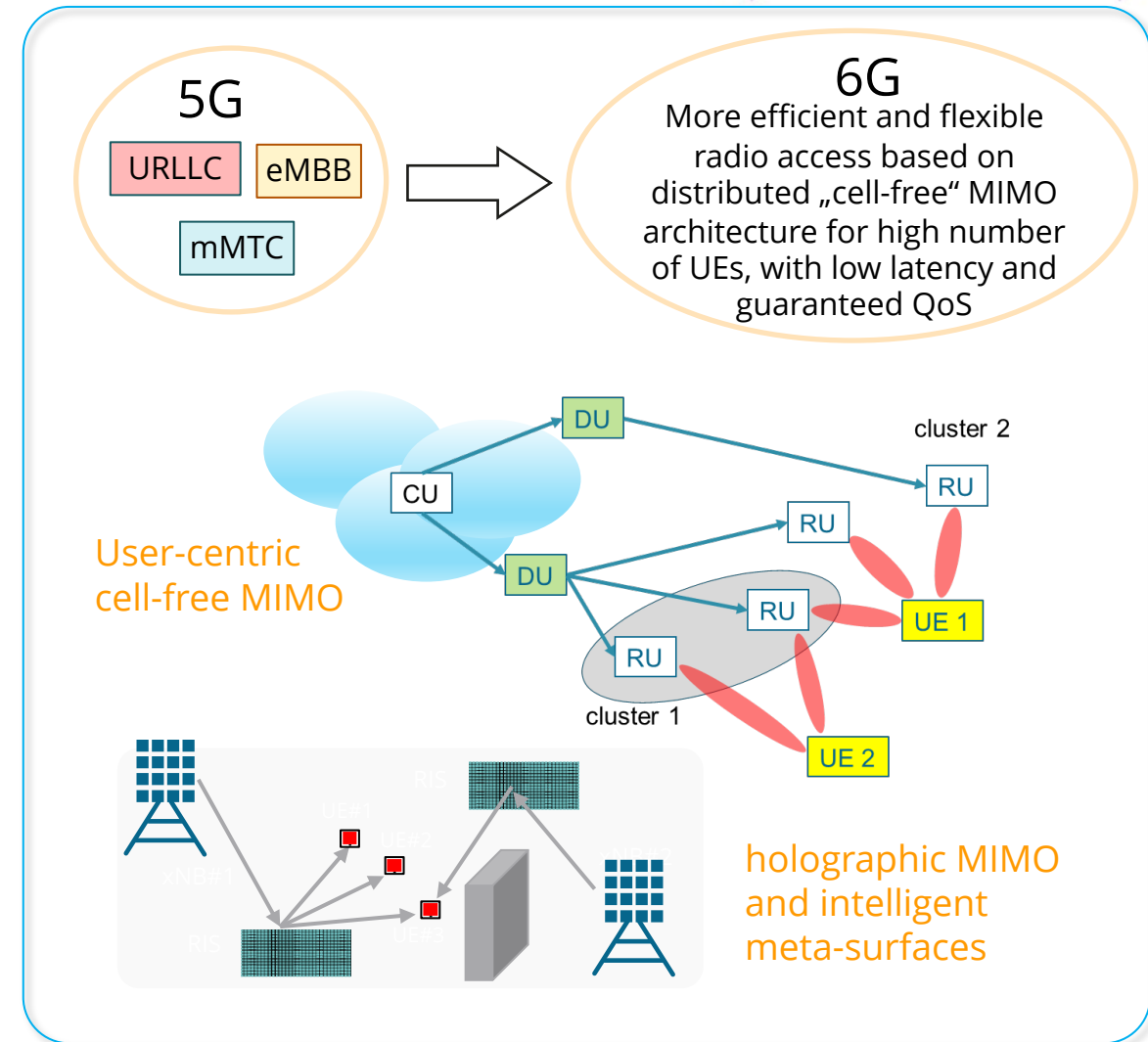
one6G association  
Huawei, Munich Research Center

# ONE6G WORK ITEM “NEXT GENERATION MIMO”

(one6G)

- MIMO is a cornerstone technology for 6G and beyond [1]. Our WI aims to gain a better understanding of some **new, emerging MIMO technologies**
  - Holographic MIMO and intelligent meta-surfaces, ISAC, AI/ML, ...
  - New architecture: User-centric cell-free mMIMO, aka (distributed) D-MIMO
- Also, we take a **fresh look at some old MIMO results**
  - New types of resource constraints (fronthaul, computing, etc)
  - Coherent joint transmission under realistic time/frequency synchronization, possibly IP-based
  - Need for flexible UE-RU association (clustering), dynamically route fronthaul traffic, resource allocation
  - Towards distributed, flexible, and efficient multiple access based on MIMO networks

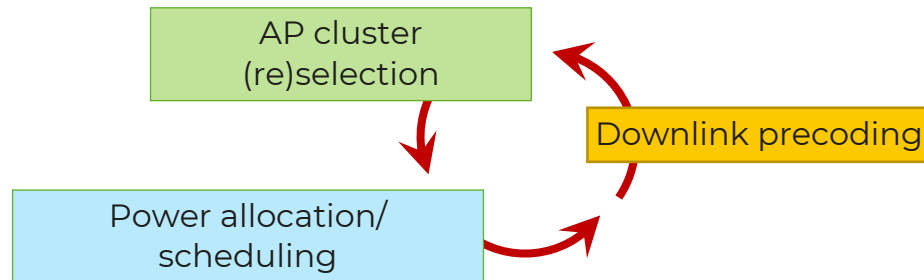
[1] Orange „Mobile Network Technology Evolutions Beyond 2030”, White Paper, April 2024



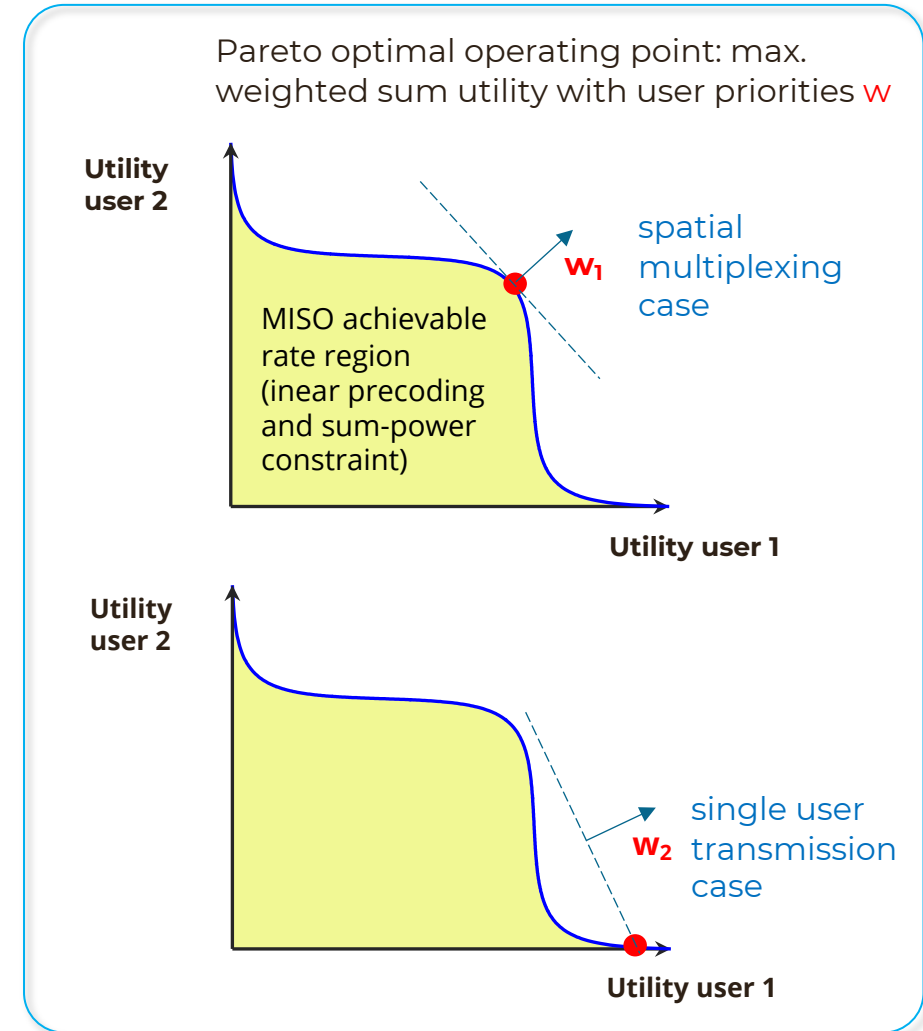
# MULTIUSER TRANSMISSION OVER COUPLED MIMO CHANNELS



- User utilities are coupled by mutual interference and limited resources → multi-objective optimization over achievable region
- Find a suitable operating point for  $K$  coupled utility functions (e.g. data rates)
  - We can focus on linear MIMO processing, which is nearly optimal for systems with many antennas and scheduling
  - What is the optimal transmission strategy for the cell-free DL?



- Only partial solutions to this problem are known



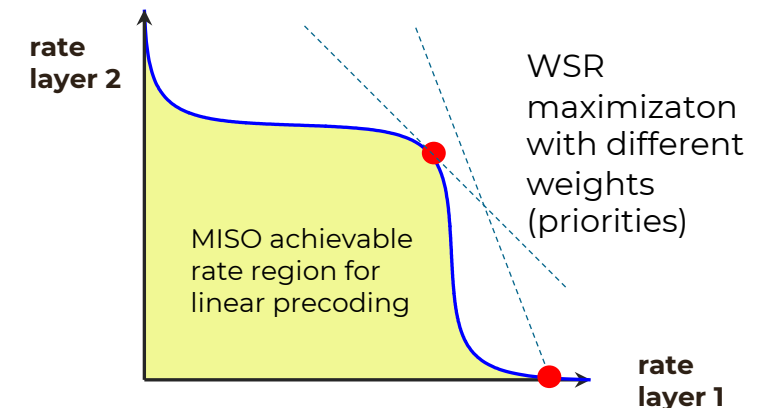
# THE IMPORTANCE OF MIMO SCHEDULING

- **Scheduling:** how to select, precode, and distribute data streams over users/MIMO layers, sub-bands, time slots, and RU-clusters?
  - Infrastructure is costly, and in the future we will possibly have more active UEs/layers than antennas ( $\rightarrow$  the common assumption  $M \gg K$  may not apply), but only a few of them are scheduled at any given time
  - Wireless channel is time/frequency/space selective, thus need to sort out the “bad apples” for every realization of the block fading channel
- **Proportional fairness:** solve a weighted sum rate (WSR) optimization problem for every channel realization [1, 2].
  - maximize  $\sum_k w_k \text{rate}_k(\text{CSI})$  over all data streams  $k$  (*users or MIMO layers*)
  - The weights  $w_k$  depend on the past data rates (moving average window)
  - CSI can be obtained, e.g., by uplink channel sounding, exploiting UL/DL reciprocity

Some special cases:

- Single Tx antenna [3] / low SNR:
  - only serve the strongest layer at any given time
- High SNR / orthogonal channels
  - spatial multiplexing/SDMA

How to deal with the medium SNR regime and semi-orthogonal channels? In this case, the rate region with linear precoding is non-convex.



[1] P. Viswanath, D. N. C. Tse, and R. Laroia, "Opportunistic Beamforming using Dumb Antennas," IEEE Trans. Info. Theory, vol. 48, June 2002

[2] Kushner, Whiting, "Convergence of Proportional-Fair Sharing Algorithms Under General Conditions", 2004

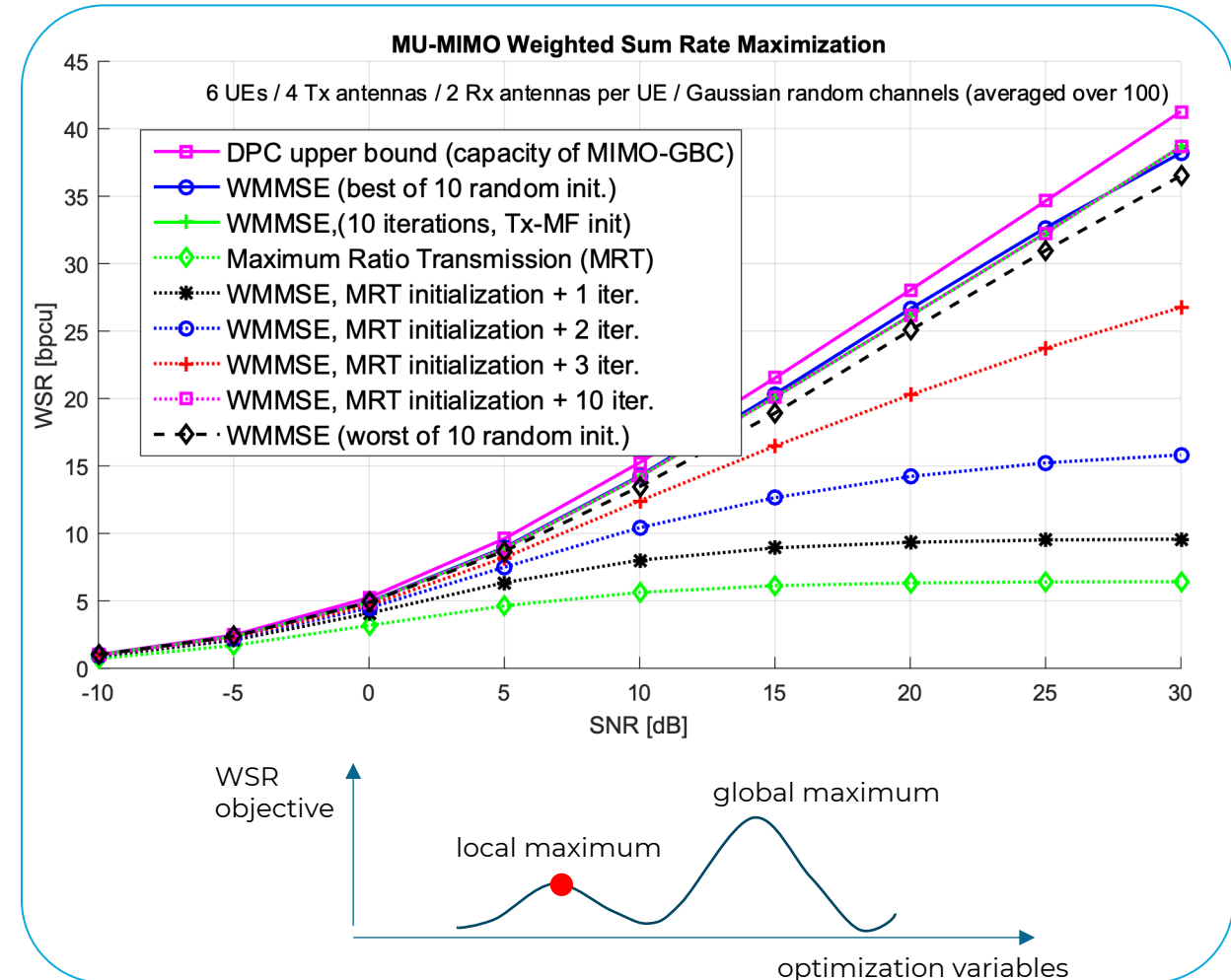
[3] Knopp, Raymond / Humblet, Pierre A., "Information capacity and power control in single-cell multiuser communications", 1995



# ALGORITHMS FOR WSR

- The WSR problem is non-convex for linear MIMO systems, but efficient solutions exist
- Weighted (W)MMSE algor. [1, 2]: converges to a stationary point of the WSR-objective function
  - Iteratively update Tx and Rx filters
  - Performance depends on the initialization
- Many other algorithms have been proposed, e.g. based on greedy strategies with partial orthogonalizations [3]
- Extensively researched topic. But do the conclusions still hold under new system constraints in a cell-free MIMO context?

[1] Christensen / Agarwal / De Carvalho / Cioffi, Weighted sum-rate maximization using weighted MMSE for MIMO-BC beamforming design, IEEE Trans. WC, 2008.  
[2] Zhao / Lu / Shi / Luo, Rethinking WMMSE: Can Its Complexity Scale Linearly With the Number of BS Antennas?, IEEE Trans. Signal Proc. , Vol. 71, 2023.  
[3] Guthy / Utschick / Hunger / Joham, Efficient Weighted Sum Rate Maximization With Linear Precoding IEEE Trans. Signal Proc. , Vol. 58, No. 4, 2010

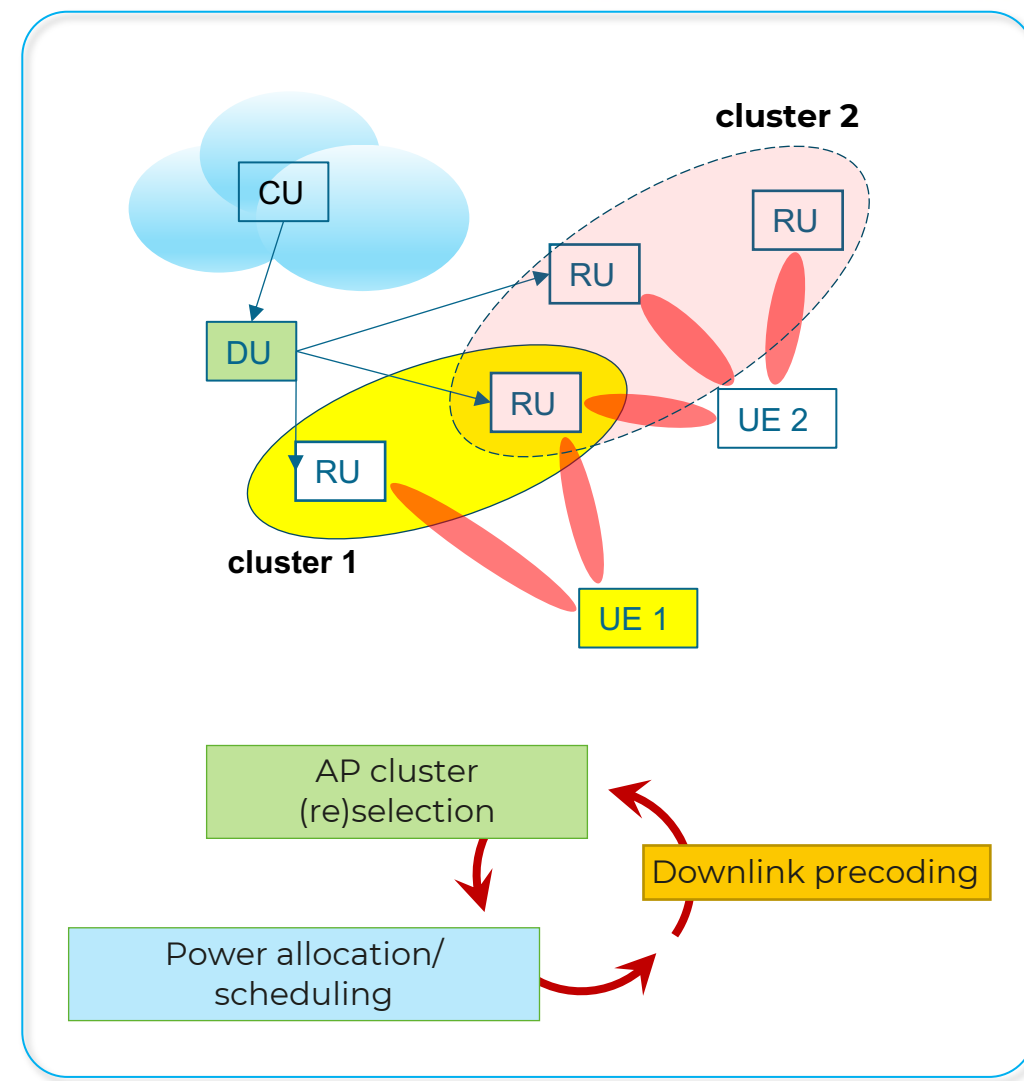


# FLEXIBEL RU-UE ASSOCIATION (CLUSTERING)

- User-centricity: each UE is served flexibly by a cluster of Radio Units (RU) [1]. The cluster selection has impact on
  - The multiuser interference (and thus precoding/scheduling)
  - The consumption of limited resources at each distributed RU (Tx power, fronthaul load, etc)
- Optimize the cluster selection jointly with precoding and scheduling, subject to distributed resource constraints
  - The clustering variables in the DL are coupled
  - mixed-integer nonlinear optimization problems, where the discrete search increases exponentially with the number of UEs
  - intractable even for moderately sized systems

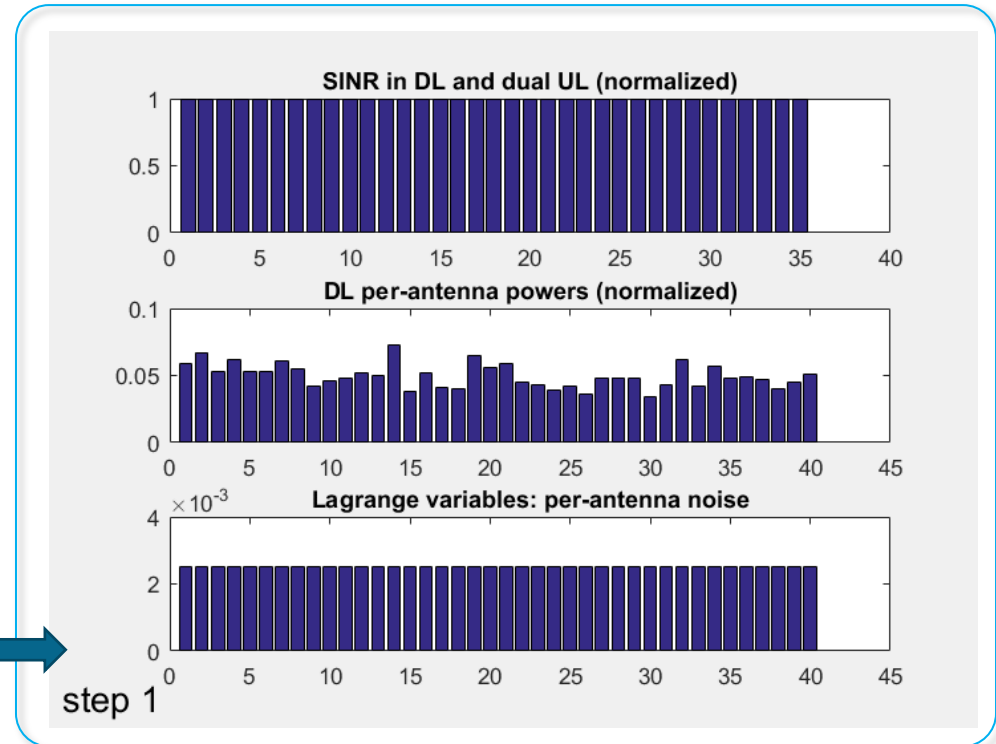
→ Exploit UL/DL duality: in the dual domain, the discrete search complexity scales linearly in the number of UEs [2]

[1] Prado-Alvarez, / Calabuig / Monserrat / Bazzi / Xu, Study of Clustering Solutions for Scalable Cell-Free Massive MIMO, 2023  
[2] Schubert / Böhnke / Xu, "Duality-Based Joint Clustering and Precoding for Cell-Free Distributed MIMO," WSA 2024



# UPLINK/DOWNLINK DUALITY

- For many DL MU-MIMO problems it is easier to solve the Lagrangian dual problem instead. This has the advantage that optimization variables decouple, which enables more efficient algorithms. The dual problem has a similar structure as the uplink (transposed channel, reversed Tx and Rx)
- Conventional UL-DL duality [1, 2, 3] holds under a sum-power constraint:
  - Rate tuple  $\mathbf{r}$  is achievable in the DL  $\Leftrightarrow \mathbf{r}$  is achievable in the UL, and  $\sum_k^K q_k = \sum_k^K p_k$  (same sum power)
  - The optimal DL precoders are scaled versions of the optimal UL combiners
- This was extended to a duality under per-antenna/TRP power constraints [4]
  - The noise powers of the dual channel are unknown variables
  - $\sum_{k=1}^K q_k = \sum_{m=1}^M n_m p_m$  (UL sum power = weighted DL per-antenna powers  $p_m$ )
  - Dual noise powers  $n_m$  can be found via projected sub-gradient [4]

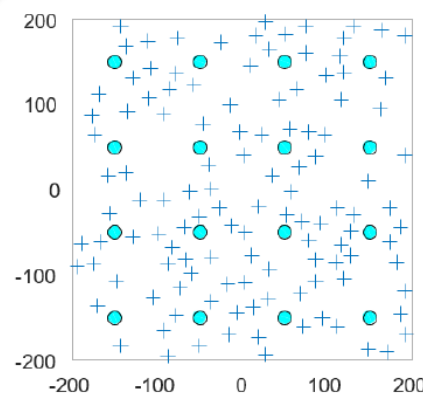


[1] G. Caire / S. Shamai, "On achievable rates in a multi-antenna broadcast downlink," Allerton Conf., 2000  
[2] A. Goldsmith / S. A. Jafar / N. Jindal / S. Vishwanath, "Capacity Limits of MIMO Channels," IEEE JSAC, 2003.  
[3] H. Weingarten, Y. Steinberg and S. Shamai, "The capacity region of the Gaussian MIMO broadcast channel," ISIT 2004  
[4] Yu, Wei / Lan, Tian, Transmitter Optimization for the Multi-Antenna Downlink with Per-Antenna Power Constraints, IEEE Trans SP, 2007

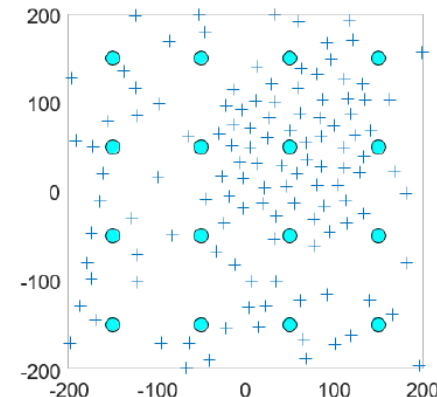
# SIMULATION SCENARIO

- With the help of these duality results, we can jointly optimize precoders, clusters, and the power allocation in the dual domain [1]
  - Cluster selection complexity scales linearly in the number of UEs
- We focus on the power minimization problem (MU-MISO) :
  - Minimize the maximal antenna/TRP power subject to SINR constraints*
  - Extension to the WSR problem is under preparation
- Some interesting questions:
  - What is the benefit of optimal clustering compared to heuristic selection based on the strongest coupling gains between TRP/UE pairs?
  - What is the loss compared to the case where per-antenna constraints are ignored and the optimization is based on the less restrictive assumption of a sum-power constraint?

[1] Schubert / Böhnke / Xu, "Duality-Based Joint Clustering and Precoding for Cell-Free Distributed MIMO," WSA 2024



a) uniform distribution



b) hotspot scenario

|                           |                                   |
|---------------------------|-----------------------------------|
| Direction                 | downlink                          |
| Bandwidth                 | 100 MHz                           |
| Carrier freq.             | 10 GHz                            |
| MIMO channel              | LoS steering vector, azimuth only |
| Antenna type              | Uniform Circular Array (UCA)      |
| Pathloss model (LOS+NLOS) | UMi Street Canyon [13]            |
| ISD                       | 100 m                             |
| Max. Tx power per TP      | 40 dBm                            |
| UEs per resource          | 120                               |
| Number of TPs             | 16                                |
| Antennas per TP           | 8                                 |
| Antennas per UE           | 1                                 |
| CSI                       | perfect                           |
| TP combining              | coherent                          |

clustering strategy

best 3 out of 4 strongest

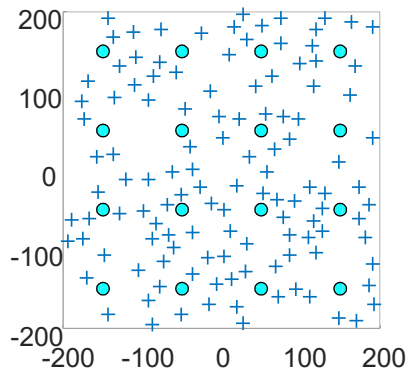
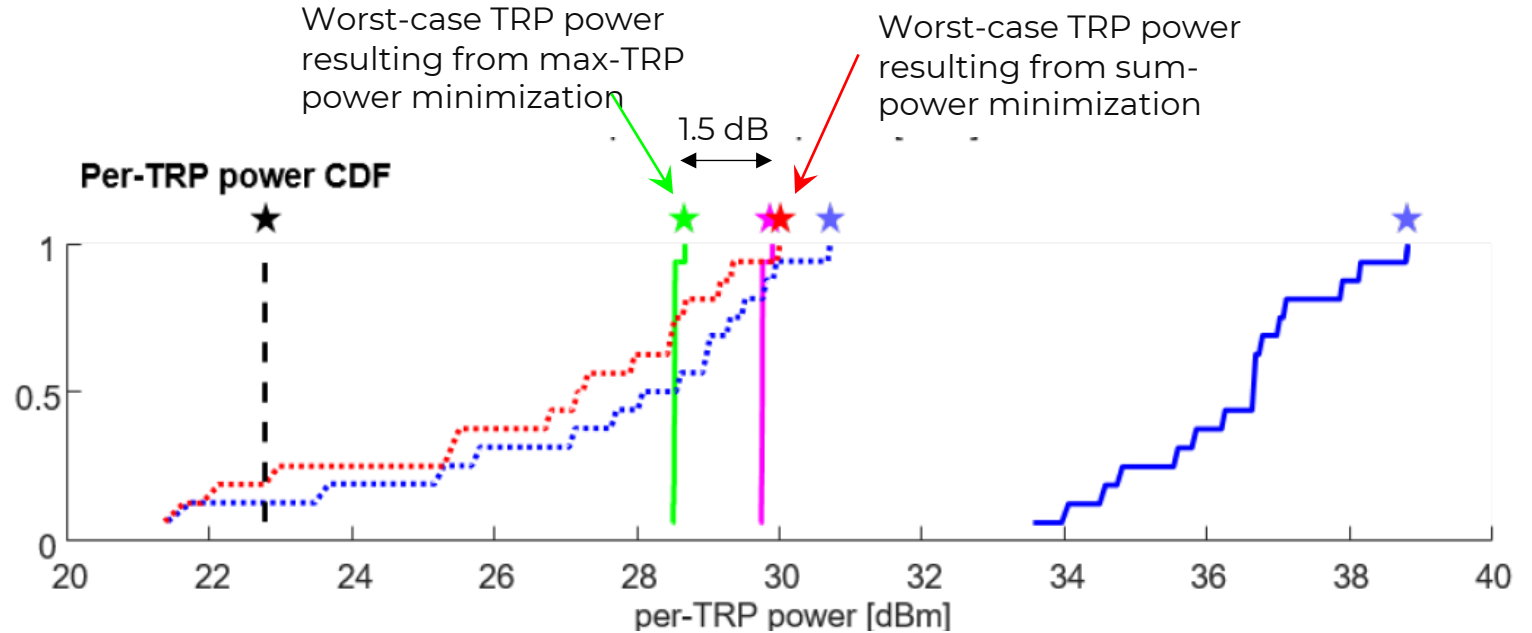




# SIMULATIONS: EVENLY DISTRIBUTED UEs



- Per-TRP optimization compared to sum-power minimization:
  - More even distribution of Tx powers over all TRPs
  - We can reduce the worst-case TRP power by ~1.5 dB
- Optimal scheduling compared to heuristic scheduling:
  - Connecting to the TRP(s) with largest channel norm is mostly optimal (~1.5 dB loss)



|  |   |
|--|---|
|  | heuristic approach (SLNR, strongest TRP clusters)                         |
|  | max. power minimization, jointly over DL powers, precoders, and clusters  |
|  | max. power minimization, same but fixed clusters (strongest channel norm) |
|  | sum power minimization, jointly over DL powers, precoders, and clusters   |
|  | sum power minimization, same but fixed clusters (strongest channel norm)  |
|  | idealistic lower bound by full TP association (no clustering)             |



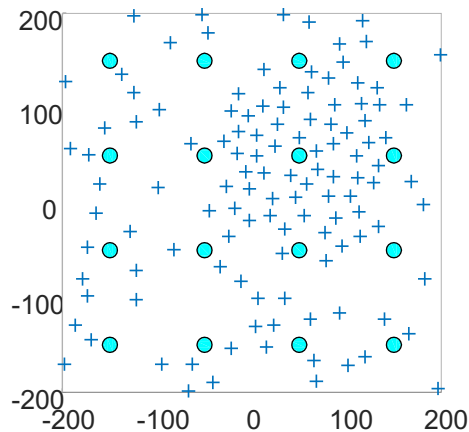
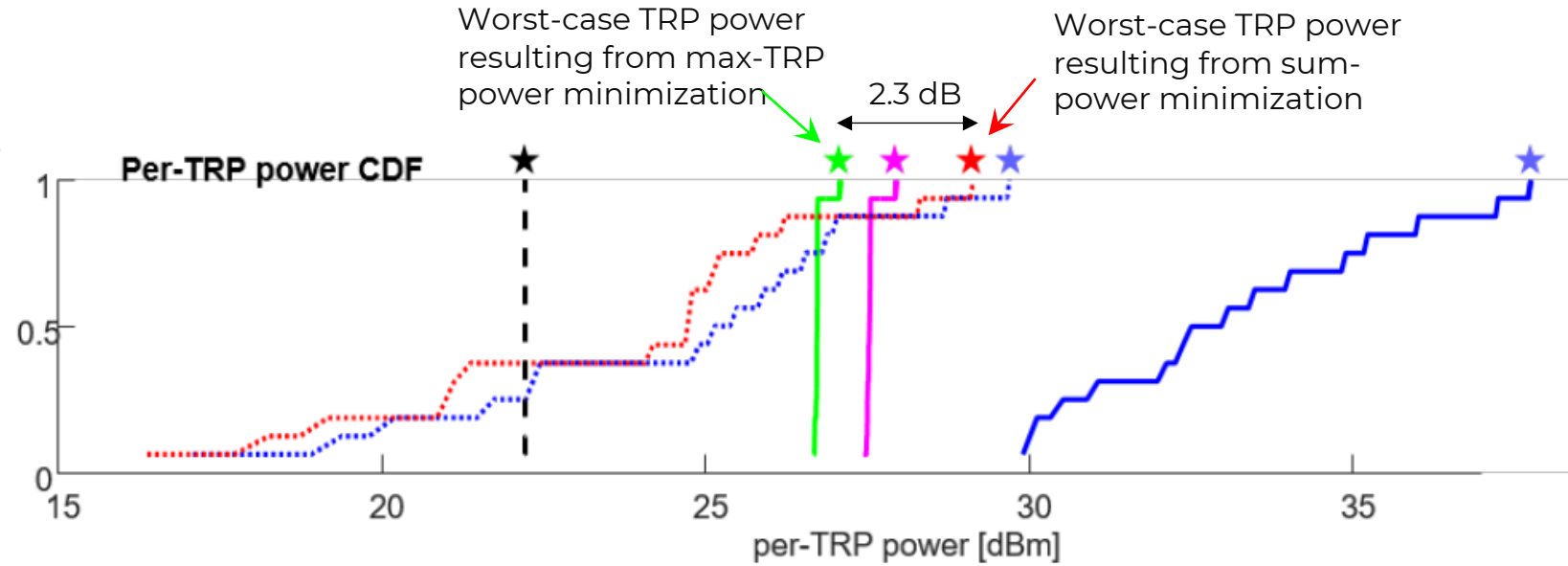


# SIMULATIONS: HOTSPOT UE DISTRIBUTION



For a hotspot scenario, the gain of per-TRP optimization is a little more pronounced (~2.3 dB reduction of worst-case TRP power)

- Explanation: TRPs with excessive Tx power are avoided to a certain extent by re-allocating some UEs to neighboring TPs
- However, this strategy has its limits, as the increased path loss has a detrimental effect



|  |   |
|--|---|
|  | heuristic approach (SLNR, strongest TRP clusters)                         |
|  | max. power minimization, jointly over DL powers, precoders, and clusters  |
|  | max. power minimization, same but fixed clusters (strongest channel norm) |
|  | sum power minimization, jointly over DL powers, precoders, and clusters   |
|  | sum power minimization, same but fixed clusters (strongest channel norm)  |
|  | idealistic lower bound by full TP association (no clustering)             |



- The one6G work item „Next Generation MIMO“ aims to increase our understanding of the implementations of next-generation MIMO technologies.
  - Not limited to the topics discussed here. Other MIMO-related topics (RIS enhancement, ISAC, NTN) are being studied in the context of this WI
  - Open for new members
- The development towards new architectures and technologies means that old certainties may have to be reassessed. Remaining challenges include (just a few examples)
  - Clustering and per-TRP constraints require new optimization strategies and algorithms
  - More antennas, higher frequencies and bandwidths, multi-band, etc, create new challenges for hardware implementations (nonlinear power amplifiers, low-resolution ADC/DAC [1], hybrid beamforming with RIS, ...)
  - CSI acquisition is a challenge for distributed MIMO. Transceiver designs under imperfect CSI are required, e.g. the team MMSE approach [2]
  - Next-generation distributed grant-free access, e.g. unsourced random access [3]

[1] F. Askerbeyli, W. Xu and J. A. Nossek, "Sum Rate Maximization for Regularized Zero-Forcing Precoder in 1-Bit MIMO," 2023 IEEE 98th Vehicular Technology Conference (VTC2023-Fall)

[2] Miretti / Cavalcante / Björnson / Stańczak, UL-DL duality for cell-free massive MIMO with per-AP power and information constraints, 2023

[3] Çakmak / Gkiouzepi / Opper / Caire, "Joint Message Detection and Channel Estimation for Unsourced Random Access in Cell-Free User-Centric Wireless Networks", arXiv:2304.12290, 2024

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THANK YOU FOR YOUR ATTENTION

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